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Communication Engineering

Noise is unwanted signal that affects information and random signal.

Noise exist in two types

Internal

External

I] Internal

- ① Random movement of electrons in electronic devices.
- ② Caused by (Resistors ; Diodes ; BJTs ; ...)
- ③ Thermal Noise (White Noise ; Gaussian noise)
- ④ Shot Noise

II] External

I] Man - made

- ① Caused by (Motors , Generators ;)

Noise Level is proportional to :-

[1] Temperature & Band width

[2] Gain

Noise Disadvantages

[1] Low system performance

[2] Receiver Cannot detect (Extract)

Signal from noise

[3] Efficiency of system reduced

The main problem (Additive White Gaussian Noise) (A.W.G.N.)

Noise power

$$P_n = \frac{KT}{2} \quad (\text{noise power spectral})$$

$$= \frac{N_0}{2} \quad (N_0 = KT) \rightarrow$$

$N_0/2$

P

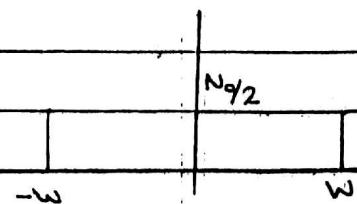
Band width (B.W) \rightarrow The width of the modulated signal

AM $\rightarrow 2W$

FM $\rightarrow 2(1+k_f W_m)$

Filters are source of noise :-

Eg Low pass Filter (LPF)



$$\text{Total Noise} = P_n * \underbrace{2W}_{\text{Band width}}$$

$$= \frac{N_0}{2} * 2W$$

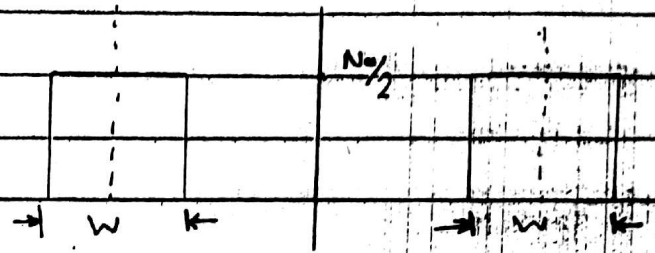
$$= N_0 W$$

② Band pass Filter

$$\text{Total Noise} = P_n \times B.W$$

$$= \frac{N_0}{2} \times 4W$$

$$= 2 N_0 W$$



* Noise in Continuous wave modulation

$$P_{DSB} = \frac{A_c^2 m^2}{4} = A_c^2 P \rightarrow \text{Signal power}$$

DSB → using a Band pass Filter.

$$SNR_{(output)} = \frac{P_{DSB}}{\text{Total Noise}} = \frac{A_c^2 \cdot P}{2 N_0 W}$$

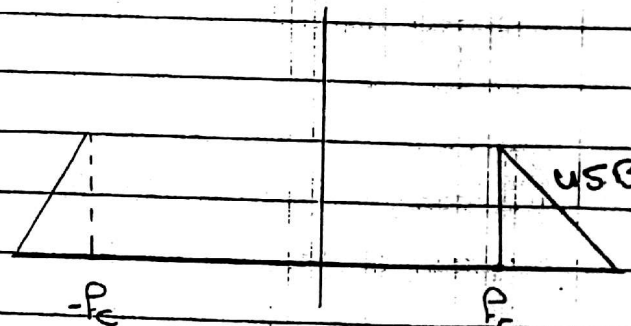
• Figure of merit = $\frac{SNR|_{\text{output}}}{SNR|_i}$

Any reference to compare performance of different modulation systems.

• Figure of merit = $\frac{SNR|_o}{SNR|_i} \bigg|_{\text{DSB}} = 1$

* SSB TC with noise

• Assuming Lower Side band



$$S(t) = \frac{A_c}{2} m(t) \cos(2\pi P_c t) + \frac{A}{2} \hat{m}(t) \sin(2\pi P_c t)$$

Total Power

$$= \frac{A_c^2 P}{8} + \frac{A_c^2 P}{8} = \frac{A_c^2 P}{4}$$

in case of SSB

$$\text{mean noise filter} = N_0 \cdot W$$

↳ Band width

$$\text{SNR} \Big|_{\text{SSB}} = \frac{A_c^2 P}{4 \cdot N_0 W}$$

This noise is additive noise:-

$$x(t) = s(t) + n(t)$$

↳ signal after Band pass filter (Any filter)

$\hat{m}(t) \rightarrow$ Hilbert transform of $m(t)$
(Shifted by 90°)

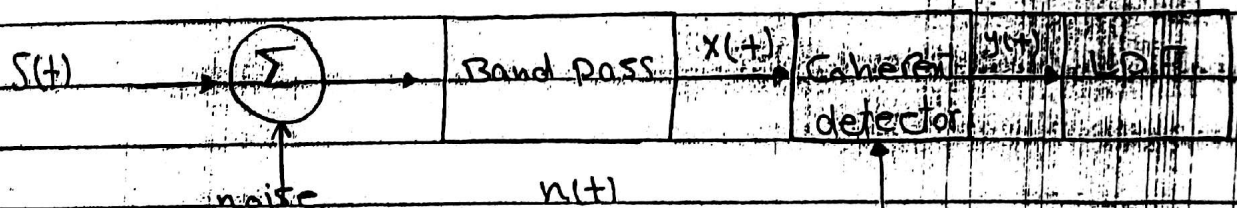
$$\hat{m}(t) = m(t) * \frac{1}{\pi t}$$

if get Fourier transform.

$$\hat{M}(f) = -j \operatorname{sgn}(f) \cdot M(f)$$

$m(t)$ & $\hat{m}(t)$ are orthogonal uncorrelated

Block Diagram System



For demodulation
we multiply
with $\cos \omega_c t$

For $x(t) = s(t) + n(t)$

$$\therefore y(t) = [s(t) + n(t)] \cos(2\pi f_c t)$$

$$s(t) = A_c m(t) \cos(2\pi f_c t)$$

$$n(t) = n_I(t) \cos(2\pi f_c t)$$

• After Low pass Filter

$$\text{output} = \frac{1}{2} A_c m(t) + \frac{1}{2} n_I(t)$$

$$\therefore P_o = \frac{1}{4} A_c^2 \cdot P$$

$$P_n = \frac{1}{4} \cdot 2 N_o W$$

$$\therefore \text{SNR}_i = \frac{P_o}{P_n}$$

$$\text{SNR}_i = \frac{A_c^2 P}{2 N_o W}$$

For DSB SC

$$\text{SNR}_i = \frac{P_s(t)}{N_o W}$$

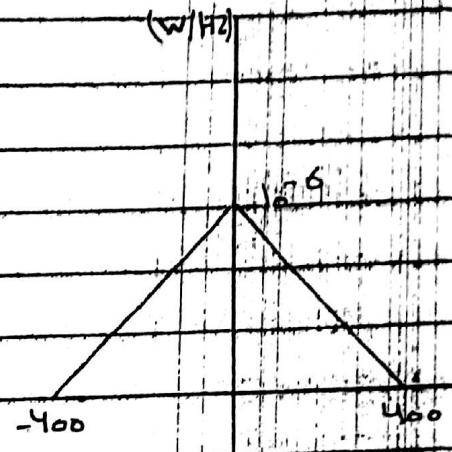
Sheet # 1

1.

$$f_m = 4 \text{ kHz}$$

$$f_c = 200 \text{ kHz}$$

$$P = 10 \text{ watt}$$



$$SNR|_o = \frac{A_c^2 P}{2 N_o W}$$

$$SNR|_i = \frac{P_s}{N_o W}$$

$$SNR|_o = SNR|_i =$$

$$\frac{N_o}{2} = 10^{-6}$$

$$\begin{aligned} \text{so } N_o &= 2 \times 10^{-6} \\ (f_m) W &= 4 \times 10^3 \quad ?? \end{aligned}$$

$$SNR|_o = \frac{10}{2 \times 10^{-6} \times 4 \times 10^3} = \frac{1}{8 \times 10^{-4}}$$